## Supplemental materials

Estimated annual percentage changes (EAPC) is a measure of the ASR trend over a time interval, calculated as the method proposed by Hankey. The age-standardised rate (ASR) could be fitted in a regression model:

$$
\ln (\mathrm{ASR})=\alpha+\beta \mathrm{x}+\varepsilon .
$$

where $\alpha$ is the intercept term, $\beta$ is the annual change per 100,000 in the rates, x is the calendar year, $\varepsilon$ is the error term.

EAPC is calculated as $100 \times(\exp (\beta)-1)$, and its $95 \%$ confidence interval (CI) can also be computed similarly from the linear regression model.

For example, if we want to calculate the EAPC of prevalence of global AF/AFL from 1990 to 2017, we can get the following raw data from GBD 2017. The name of the data frame in R is data:

| measure_name | location_name | sex_name | cause_name | metric_name | year | ASR |
| :--- | :--- | :--- | :--- | :--- | :--- | ---: |
| Prevalence | Global | Both | Atrial fibrillation and flutter | Rate | 1990 | 507.3233189 |
| Prevalence | Global | Both | Atrial fibrillation and flutter | Rate | 1994 | 499.4232023 |
| Prevalence | Global | Both | Atrial fibrillation and flutter | Rate | 1998 | 493.2582504 |
| Prevalence | Global | Both | Atrial fibrillation and flutter | Rate | 2002 | 489.3763761 |
| Prevalence | Global | Both | Atrial fibrillation and flutter | Rate | 2006 | 487.7023255 |
| Prevalence | Global | Both | Atrial fibrillation and flutter | Rate | 2010 | 486.2168861 |
| Prevalence | Global | Both | Atrial fibrillation and flutter | Rate | 2014 | 483.5037373 |
| Prevalence | Global | Both | Atrial fibrillation and flutter | Rate | 1993 | 501.3069835 |
| Prevalence | Global | Both | Atrial fibrillation and flutter | Rate | 1997 | 494.6499164 |
| Prevalence | Global | Both | Atrial fibrillation and flutter | Rate | 2001 | 489.8149858 |
| Prevalence | Global | Both | Atrial fibrillation and flutter | Rate | 2005 | 488.310046 |
| Prevalence | Global | Both | Atrial fibrillation and flutter | Rate | 2009 | 486.6468458 |
| Prevalence | Global | Both | Atrial fibrillation and flutter | Rate | 2013 | 484.246483 |
| Prevalence | Global | Both | Atrial fibrillation and flutter | Rate | 2017 | 481.5402806 |
| Prevalence | Global | Both | Atrial fibrillation and flutter | Rate | 1992 | 503.2165201 |
| Prevalence | Global | Both | Atrial fibrillation and flutter | Rate | 1996 | 496.1509016 |
| Prevalence | Global | Both | Atrial fibrillation and flutter | Rate | 2000 | 490.6677486 |
| Prevalence | Global | Both | Atrial fibrillation and flutter | Rate | 2004 | 488.7743747 |
| Prevalence | Global | Both | Atrial fibrillation and flutter | Rate | 2008 | 487.0584908 |
| Prevalence | Global | Both | Atrial fibrillation and flutter | Rate | 2012 | 484.864877 |
| Prevalence | Global | Both | Atrial fibrillation and flutter | Rate | 2016 | 482.2168474 |
|  |  |  |  |  |  |  |


| Prevalence | Global | Both | Atrial fibrillation and flutter | Rate | 1991 | 505.2268778 |
| :--- | :--- | :--- | :--- | :--- | :--- | ---: |
| Prevalence | Global | Both | Atrial fibrillation and flutter | Rate | 1995 | 497.7465089 |
| Prevalence | Global | Both | Atrial fibrillation and flutter | Rate | 1999 | 491.8607856 |
| Prevalence | Global | Both | Atrial fibrillation and flutter | Rate | 2003 | 489.1214041 |
| Prevalence | Global | Both | Atrial fibrillation and flutter | Rate | 2007 | 487.3211923 |
| Prevalence | Global | Both | Atrial fibrillation and flutter | Rate | 2011 | 485.5297641 |
| Prevalence | Global | Both | Atrial fibrillation and flutter | Rate | 2015 | 482.9377298 |

## The R code are like following:

## \#\#\#\#\#\#\#\#\#\#\#\#\#\#\#\#\#\#\#\#\#\#

\# First, fit a linear model to the year (from 1990 to 2017) and $\log (A S R)$ :
fit_model <- glm(log(ASR $) \sim$ year, family $=$ gaussian, data $)$
\# Then we get $\beta$ parameter of the fitted model:
coef <- coefficients(fit_model)[2]
\# And get the Confidence Intervals parameter:
lower25 <- confint(fit_model)[2]
upper975 <- confint(fit_model)[4]
\# Thus, EAPC and its lower and upper boundary of 95\% CI can be computed by:
eapc_mean <- $(\exp ($ coef $)-1) * 100$
eapc_lower $<-(\exp (l o w e r 25)-1) * 100$
eapc_upper <-(exp(upper975) -1)*100
\# using paste0 to combine the result

EAPC <- pasteO(round(eapc_mean,2),' (',round(eapc_lower,2),' to ',round(eapc_upper,2), ')')
\#\#\#\#\#\#\#\#\#\#\#\#\#\#\#\#\#\#\#\#\#\#
Reference:
Hankey, B.F., Ries, L.A., Kosary, C.L., Feuer, E.J., Merrill, R.M., Clegg, L.X., Edwards, B.K.,
2000. Partitioning linear trends in age-adjusted rates. Cancer Cause Control 11, 31-35.

